

BCA-02**December – Examination 2020****BCA (Part I) Examination****Discrete Mathematics****Paper : BCA-02***Time : 2 Hours]**[Maximum Marks : 70*

Note :- The question paper is divided into two sections A and B. Use of calculator is allowed in this paper.

Section-A**7×2=14****(Very Short Answer Type Questions)**

Note :- Section 'A' contains 7 very short answer type questions. Examinees have to attempt all questions. Each question is of 2 marks and maximum word limit is **30** words.

1. (i) Express the following set in Roster method :
 $A = \{x : x \text{ is a month of the year}\}$
- (ii) Define Identity Relation.
- (iii) Define binary number system.
- (iv) Write the negation of the following statement :
 $p : 0 \text{ is a whole number.}$

- (v) Prove that If R is a ring with unity, then unity is unique.
- (vi) Define a subgroup.
- (vii) Write De-Morgan's law for Boolean Algebra.

Section-B **4×14=56**

(Short Answer Type Questions)

Note :- Section 'B' contains 8 short answer type questions. Examinees will have to answer any *four* questions. Each question is of 14 marks. Examinees have to delimit each answer in maximum **200** words.

2. In a village of 1000 families it was found the 30% families have agriculture profession, 15% families have milk product profession and 20% families have other profession. If 5% families have both agriculture and milk product profession, 3% have milk product and other profession and 4% have agriculture and other profession and 2% families have all these profession, find the number of family which have :
 - (i) Only agriculture profession
 - (ii) Only milk product profession
 - (iii) No profession
3. For any two numbers 'a' and 'b' if relation R is defined as aRb if and only if $\sin^2 a + \cos^2 b = 1$ then prove that R is equivalence relation.

4. Solve :
 - (i) $(110111)_2 = (?)_{10}$
 - (ii) $(2456)_8 = (?)_{10}$
 - (iii) $(84FC)_{16} = (?)_{10}$
5. Construct truth table of $(p \rightarrow q) \wedge (q \rightarrow r)$
6. Prove that dual of a lattice is again a lattice.
7. Prove that set of positive rational numbers Q^+ is an abelian group for operation * defined as $a * b = \frac{ab}{2}$.
8. Prove that a non-zero finite integral domain is a field.
9. Prove that a Boolean Algebra does not have exactly 3 distinct elements.